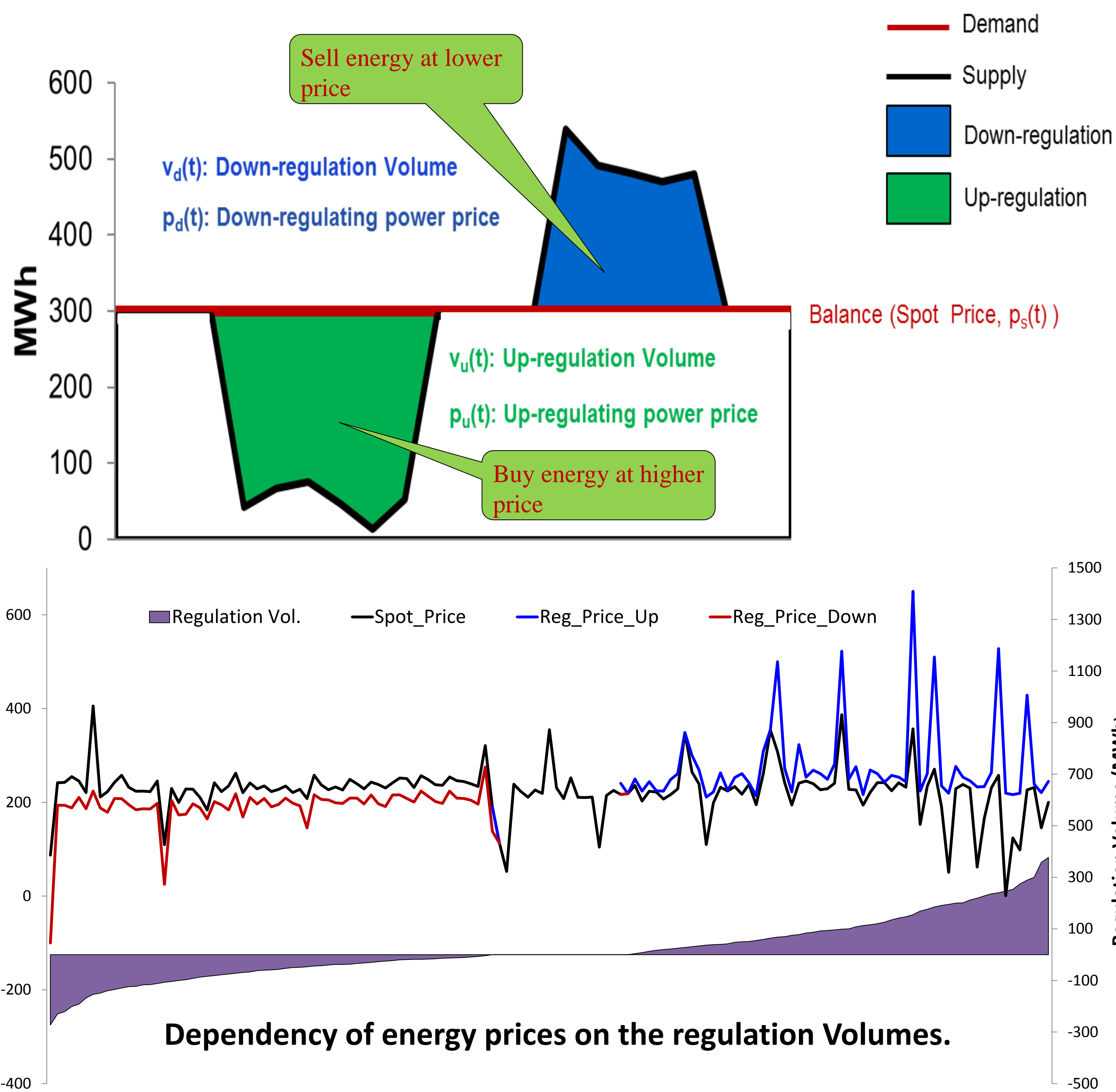


Evaluating the Value of Flexibility in Energy Regulation Markets

This work performs an econometric analysis of the benefits of introducing flexibility in the Danish/Nordic regulating power market. Here, the benefit is measured in terms of the reduction in regulation cost and/or regulation volume that a BRP (market) can achieve. The work investigates the relationships between market power prices and regulation volumes, in order to quantify the effects of flexibility on regulating power prices. Further, it analyzes the benefit for various types of flexibility and market objectives, to detect the type of energy flexibility that maximizes the benefits.

Regulation Market



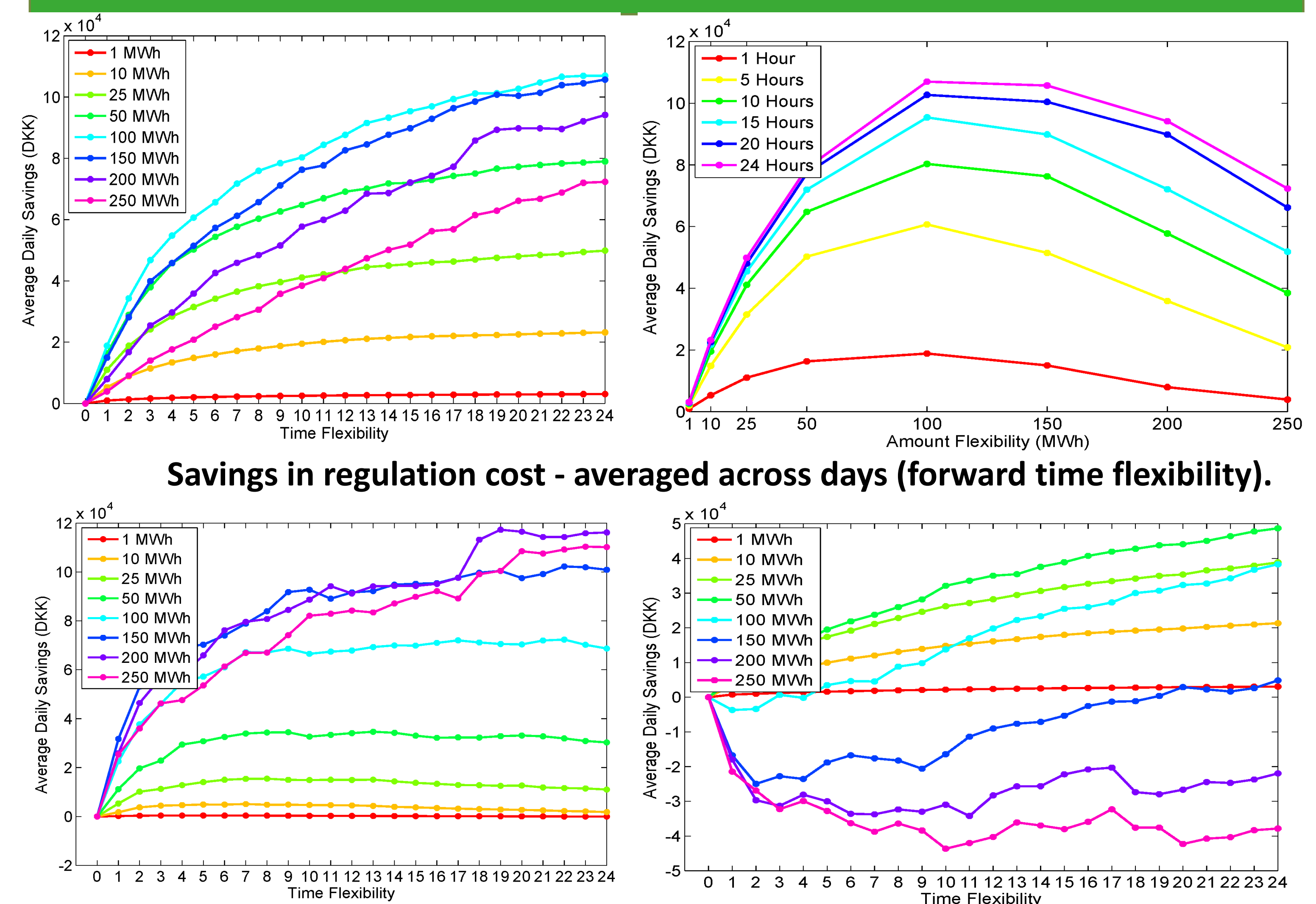
Saving in Regulation Cost

- Combined regulation cost:**

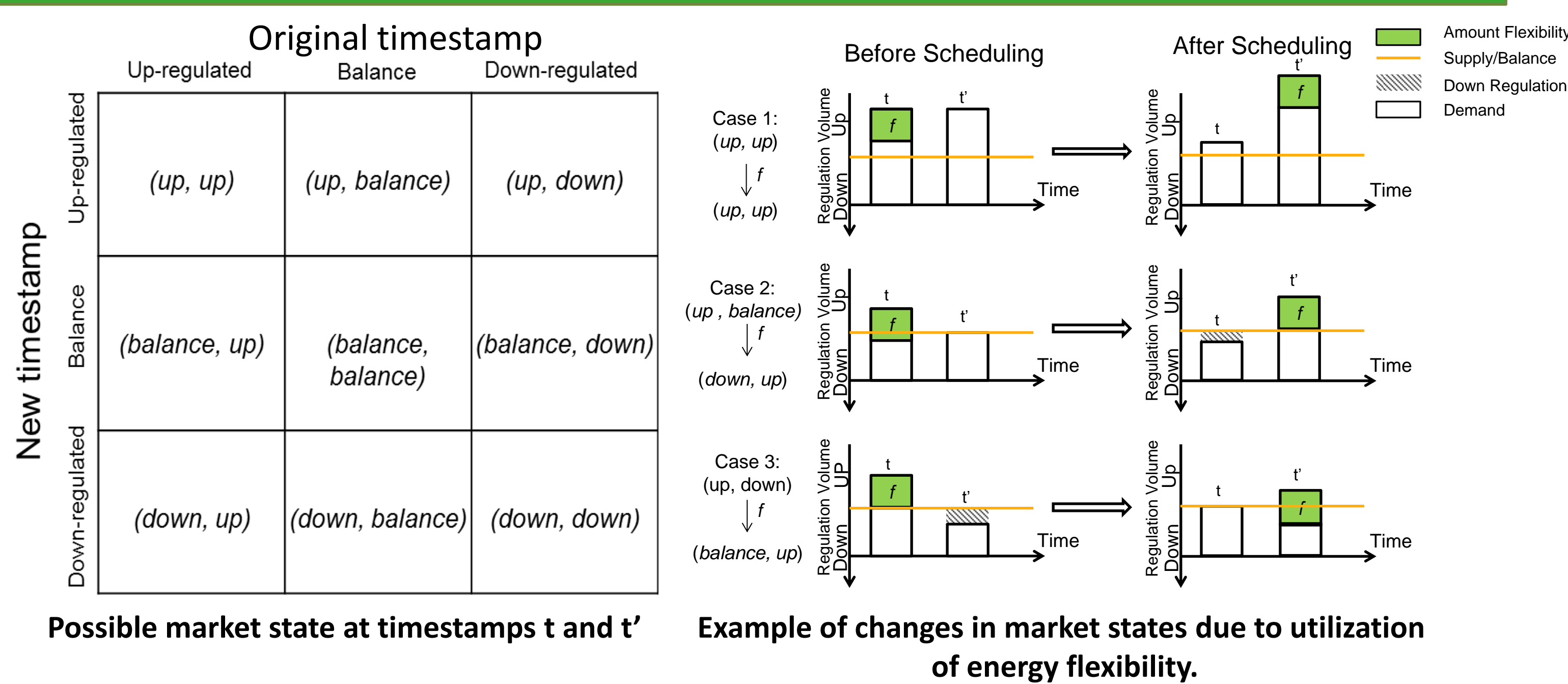
$$R(t, t') = v_{u/d}(t) * |p_{u/d}(t) - p_s(t)| + v_{u/d}(t') * |p_{u/d}(t') - p_s(t')|$$
- Estimated price after shifting of flexible load**

$$E(t, t') = \frac{v_{u/d}(t) * |p_{u/d}(t) - p_s(t)| + v_{u/d}(t') * |p_{u/d}(t') - p_s(t')|}{v_{u/d}(t) + v_{u/d}(t')}$$
- Change in Regulation Cost:** $\Delta R(t, t') = R(t, t') - E(t, t')$

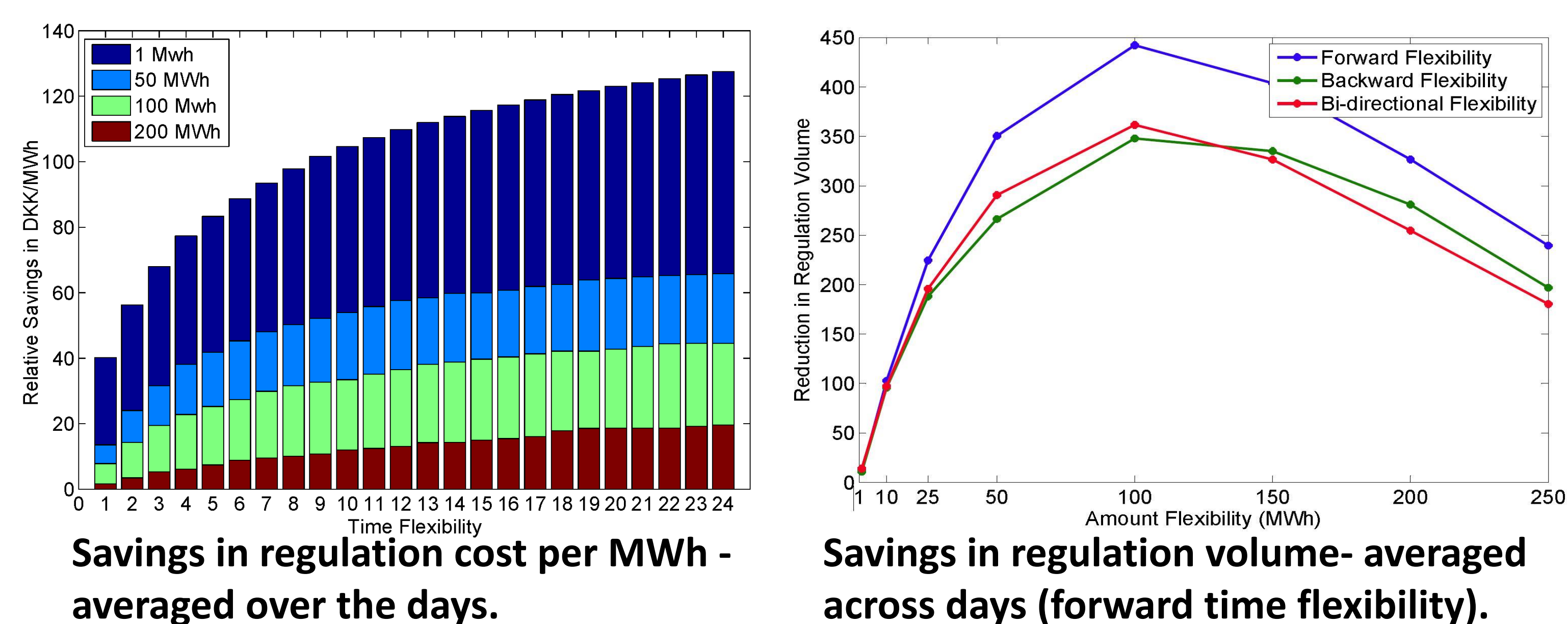
Results



ENERGY MARKET AND FLEXIBILITY



Direct savings from the volume of flexible amount - averaged across days. Savings from side effects of shifting flexible demand - averaged across days.



Analysis

- Flexibility in energy demand/supply can lead to:
 - 49% reduction in regulation costs when just 3.87% of total demand is flexible.
 - Up-to 29.4% reduction in regulation volume.
- Saving increases with increasing time flexibility.
- Total saving depends on the size of the amount flexibility traded in the market.
 - Highest benefits from amount flexibility of size 100 MWh.
 - Saving decrease for amount flexibility > 100MWh
- Up-to 100MWh of amount flexibility, a market has both direct and indirect benefits of flexibility in energy demand.
- Saving and threshold value of amount flexibility depends on the geographical location, size of the market, and the type of RES.

Regulation Cost and Market Objectives

- Change in regulation prices:**

$$p_{u/d}(t) = 1 \cdot p_s(t) + 1_{v_u(t) < 0} (-0.3362 \cdot p_s(t) + 0.0005 (p_s(t) \cdot v_d(t)) + 1_{v_u(t) > 0} (0.2378 \cdot p_s(t) + 0.0034 (p_s(t) \cdot v_u(t)))$$
- Market Objectives:**

$$C(X; \tau) = \max(t'_1, \dots, t'_n) \sum_{i=1}^n C(t_i, t'_i; \tau)$$

Minimizing regulation cost: $C(t_i, t'_i; \tau) = \Delta R(t_i, t'_i; \tau)$

Minimizing regulation volume: $C(t_i, t'_i; \tau) = (v_{u/d}^u(t) + v_{u/d}^u(t')) - (v_{u/d}^d(t) + v_{u/d}^d(t'))$