

# Smart-Energy Operating-System

A system for implementing cross-area flexibility



**Henrik Madsen, DTU Compute**

<http://www.henrikmadsen.org>

<http://www.smart-cities-centre.org>

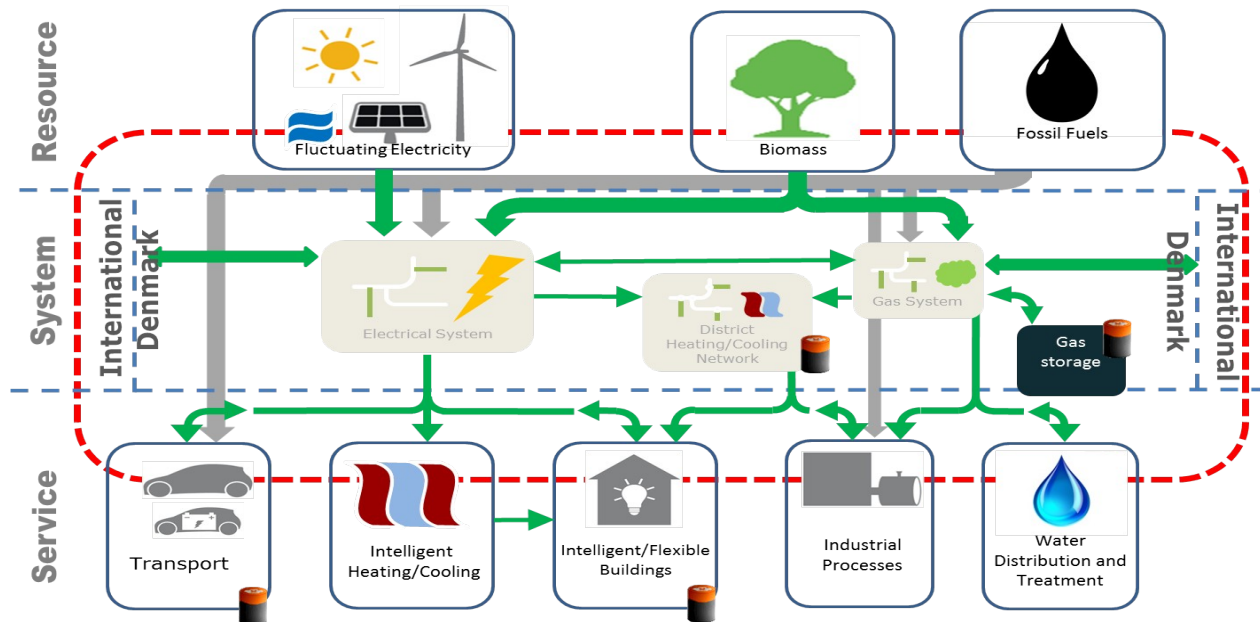
# Flexible Solutions and CITIES

The **Center for IT-Intelligent Energy Systems in Cities (CITIES)** is aiming at establishing methodologies and solutions for design and operation of integrated electrical, thermal, fuel pathways at all scales.

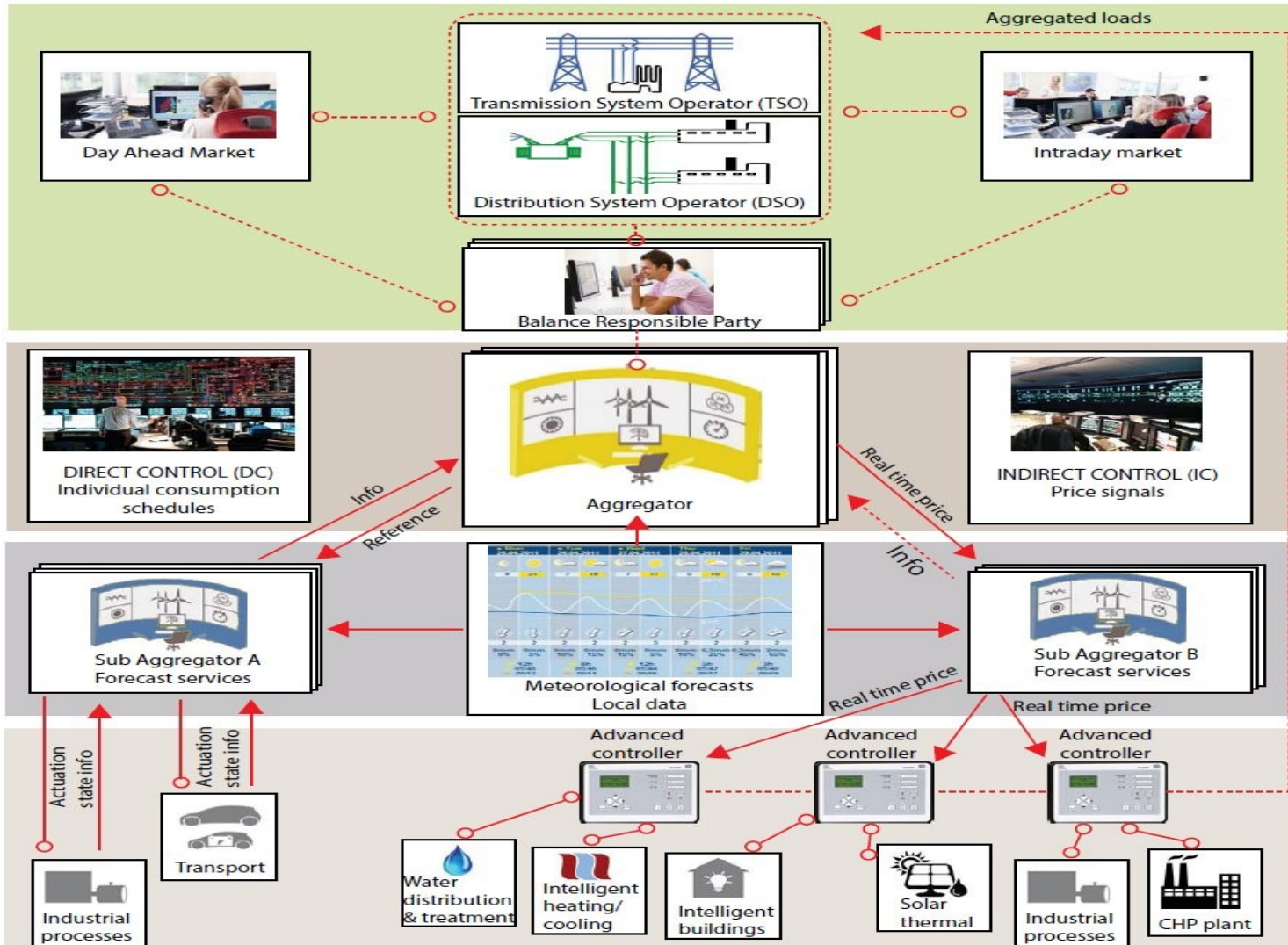


# Models for integration and flexibility

Intelligent systems integration using **data and ICT solutions** are used to establish **models and methods** for real-time operation of flexible energy systems

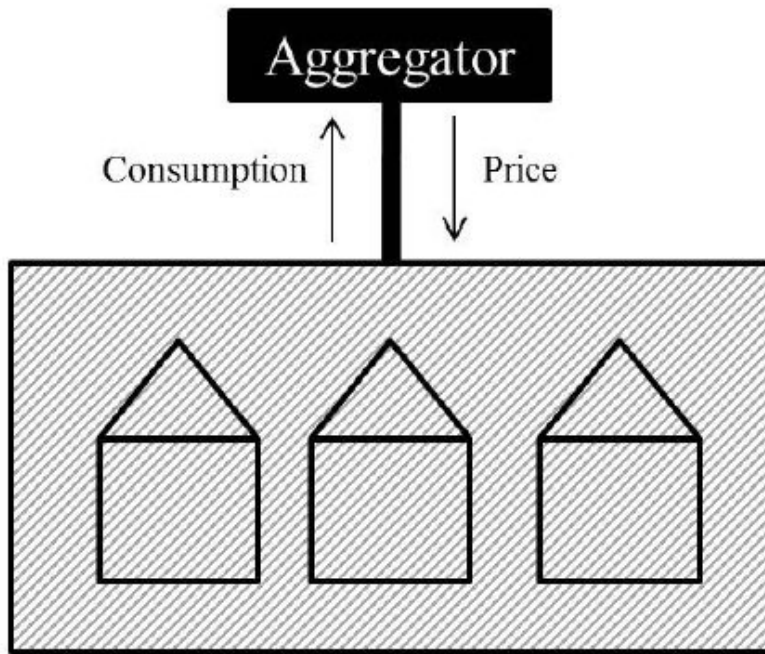


# Smart-Energy OS

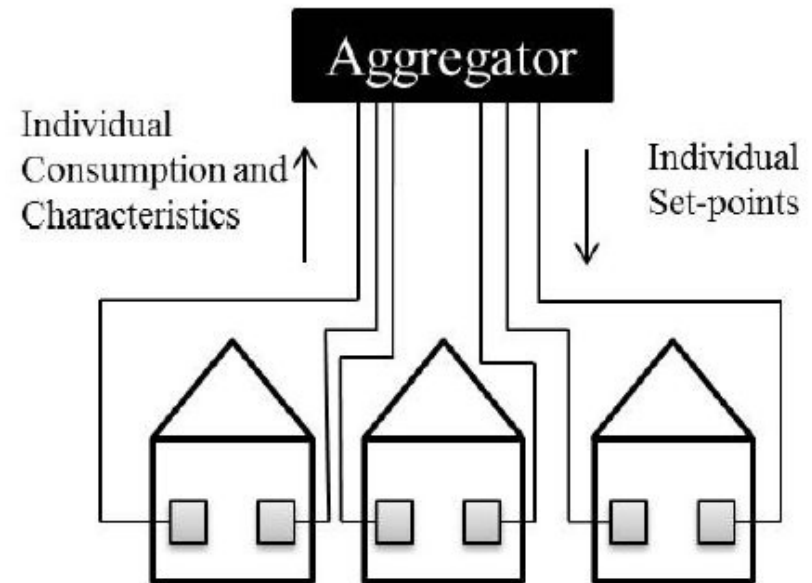


# Direct and Indirect Control

For DC info about individual states and constraints are needed



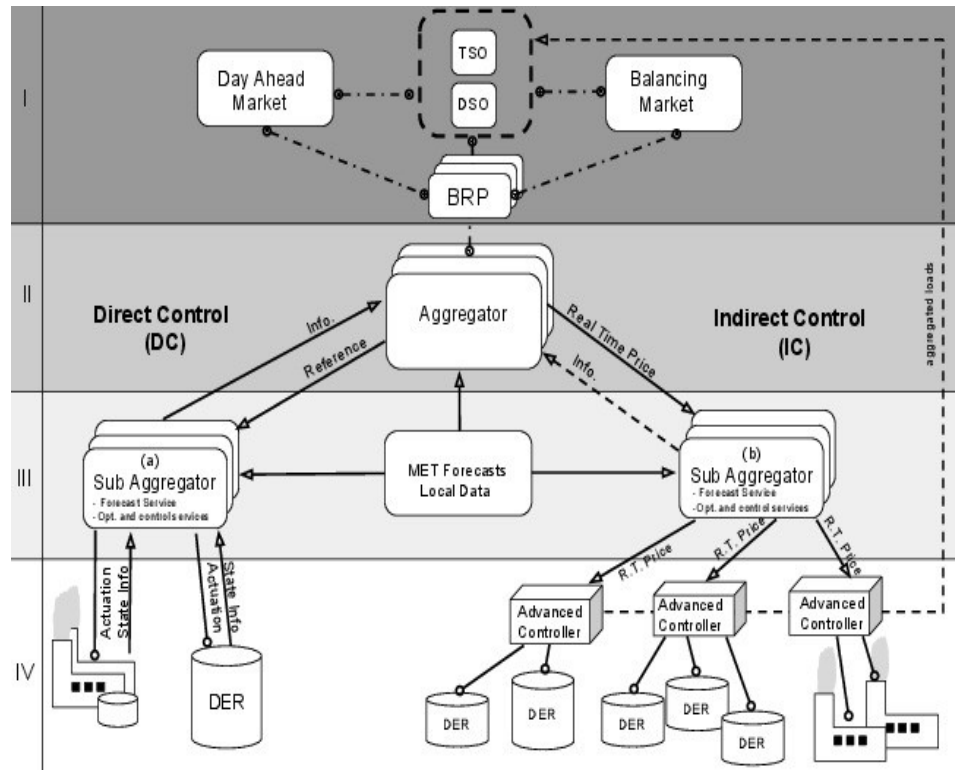
(a) Indirect control



(b) Direct control



# Control and Optimization



In New Wiley Book: Control of Electric Loads in Future Electric Energy Systems, 2015

## Day Ahead:

Stoch. Programming based on eg. Scenarios

Cost: Related to the market (one or two levels)

## Direct Control:

Actuator: **Power**

Two-way communication

Models for DERs are needed

Constraints for the DERs (calls for state est.)

Contracts are complicated

## Indirect Control:

Actuator: **Price**

Cost: E-MPC at **low (DER) level**, One-way communication

Models for DERs are not needed

Simple 'contracts'

# Direct vs Indirect Control

Level	Direct Control (DC)	Indirect Control (IC)
III	$\min_{x,u} \sum_{k=0}^N \sum_{j=1}^J \phi_j(x_{j,k}, u_{j,k})$	$\min_{\hat{z}, p} \sum_{k=0}^N \phi(\hat{z}_k, p_k)$ s.t. $\hat{z}_{k+1} = f(p_k)$
IV	$\downarrow u_1 \dots \downarrow u_J \quad \uparrow x_1 \dots \uparrow x_J$ s.t. $x_{j,k+1} = f_j(x_{j,k}, u_{j,k}) \quad \forall j \in J$	$\min_u \sum_{k=0}^N \phi_j(p_k, u_k) \quad \forall j \in J$ s.t. $x_{k+1} = f_j(x_k, u_k)$

Table 1: Comparison between direct (DC) and indirect (IC) control methods. (DC) In direct control the optimization is globally solved at level III. Consequently the optimal control signals  $u_j$  are sent to all the  $J$  DER units at level IV. (IC) In indirect control the optimization at level III computes the optimal prices  $p$  which are sent to the  $J$ -units at level IV. Hence the  $J$  DERs optimize their own energy consumption taking into account  $p$  as the actual price of energy.

# Model Predictive Control

## Simple example:

**MPC for following a power reference with ARMAX model derived from a greybox model**

$$\min_{\mathbf{P}} \sum_{t \in T_{opt}} (P_t - P_t^{ref})^2 + \nabla P_t \gamma \quad (\text{A.1a})$$

subject to:

$$\phi(B)T_t = \omega(B)P_t \quad (\text{A.1b})$$

$$\nabla P_t = P_t - P_{t-1} \quad (\text{A.1c})$$

$$T^{min} \leq T_t \leq T^{max} \quad (\text{A.1d})$$

$$P_t \leq P_{max} \quad (\text{A.1e})$$

$$P_t \geq 0 \quad (\text{A.1f})$$



## **Case study (Level III)**

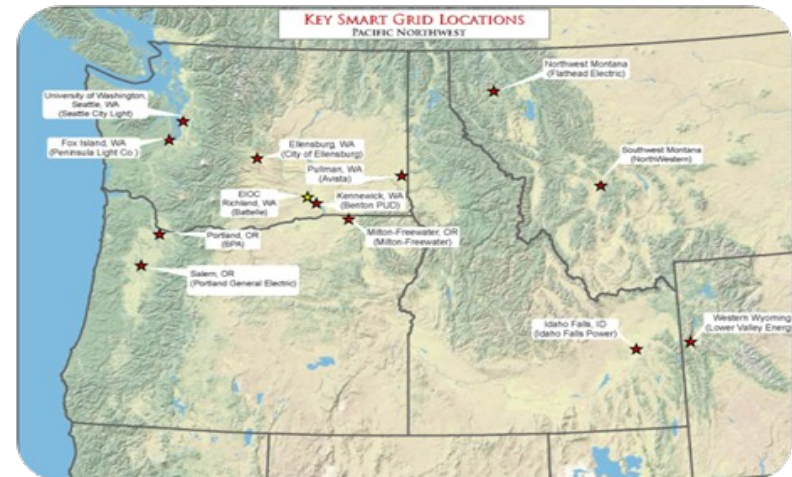
# **Price-based Control of Power Consumption (Thermal flexible buildings)**



# Data from BPA

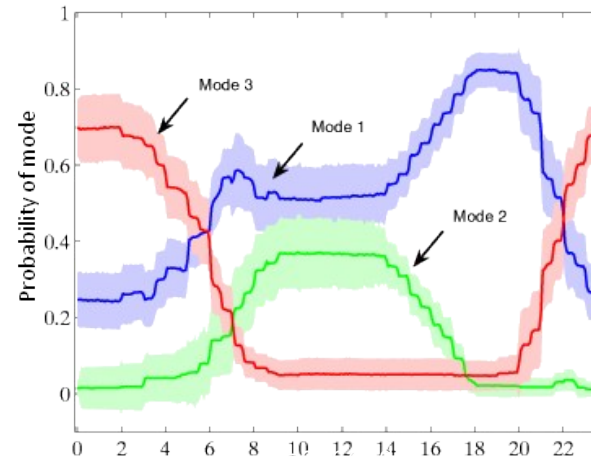
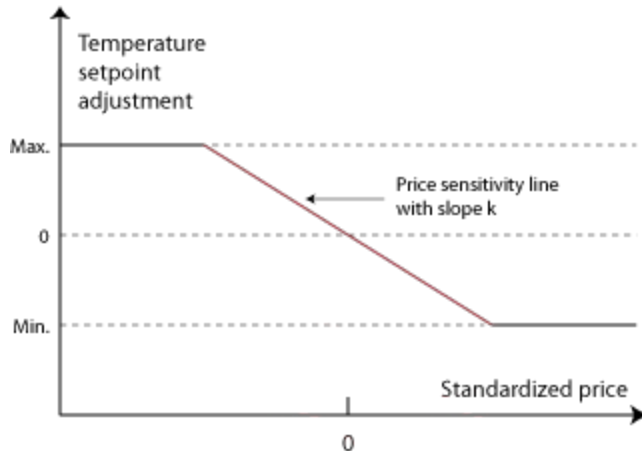
## Olympic Peninsula project

- 27 houses during one year
- Flexible appliances: HVAC, cloth dryers and water boilers
- 5-min prices, 15-min consumption
- Objective: limit max consumption



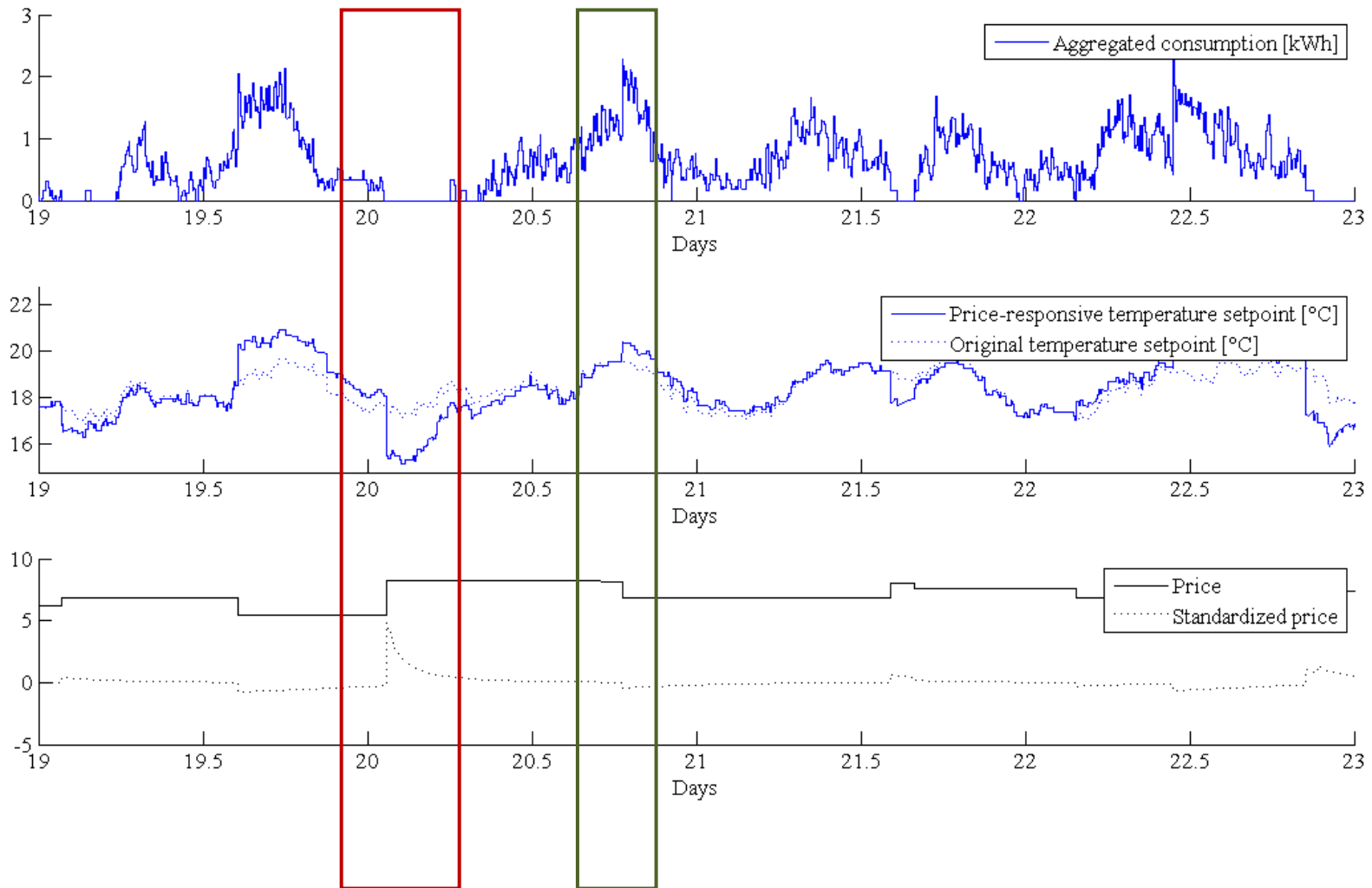
# Price responsiveness

*Flexibility is activated by adjusting the temperature reference (setpoint)*

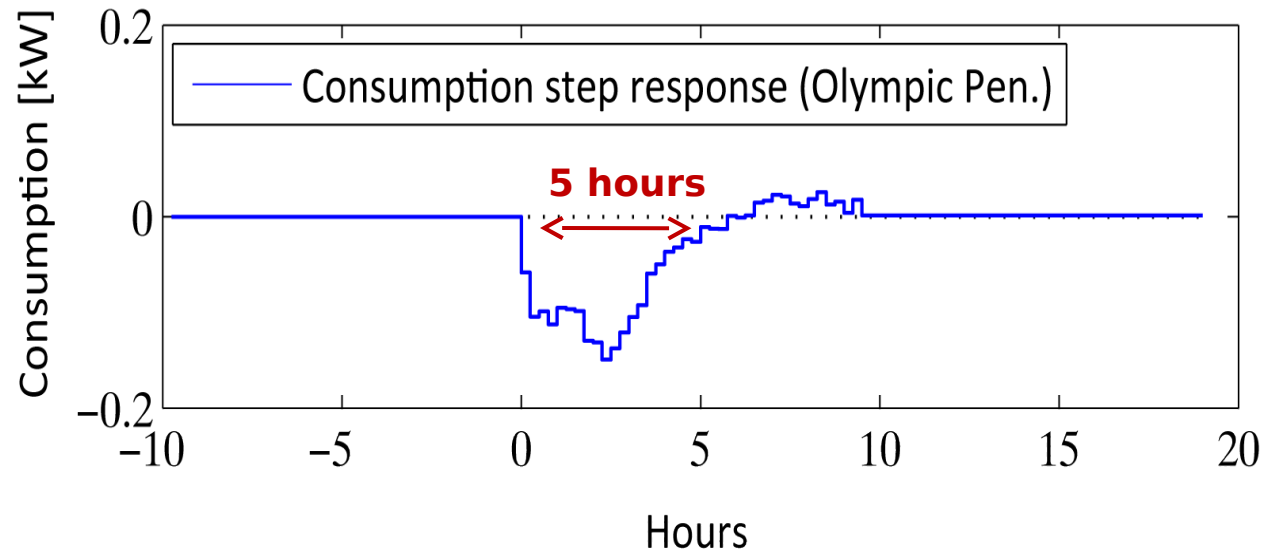


- **Standardized price** is the % of change from a price reference, computed as a mean of past prices with exponentially decaying weights.
- **Occupancy mode** contains a price sensitivity with its related comfort boundaries. 3 different modes of the household are identified (work, home, night).

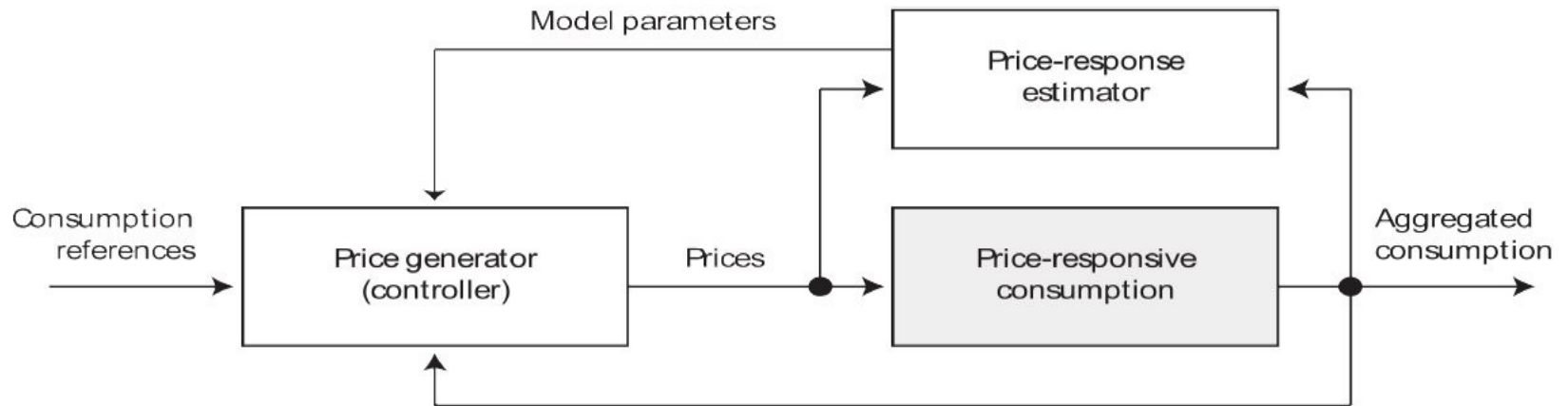
# Aggregation (over 20 houses)



# Response on Price Step Change



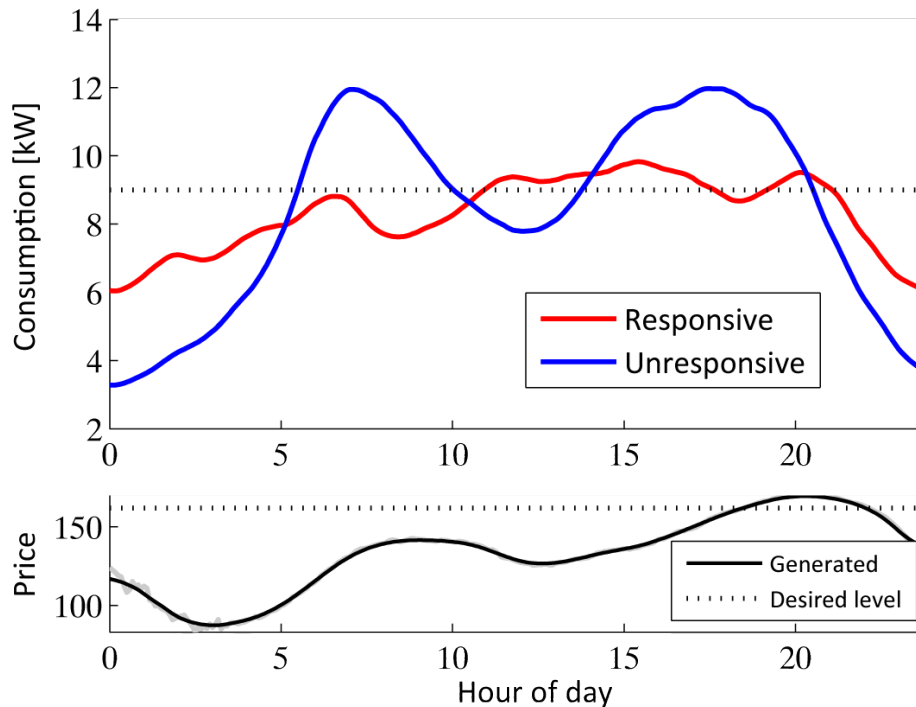
# Control of Power Consumption





# Control performance

Considerable **reduction in peak consumption**



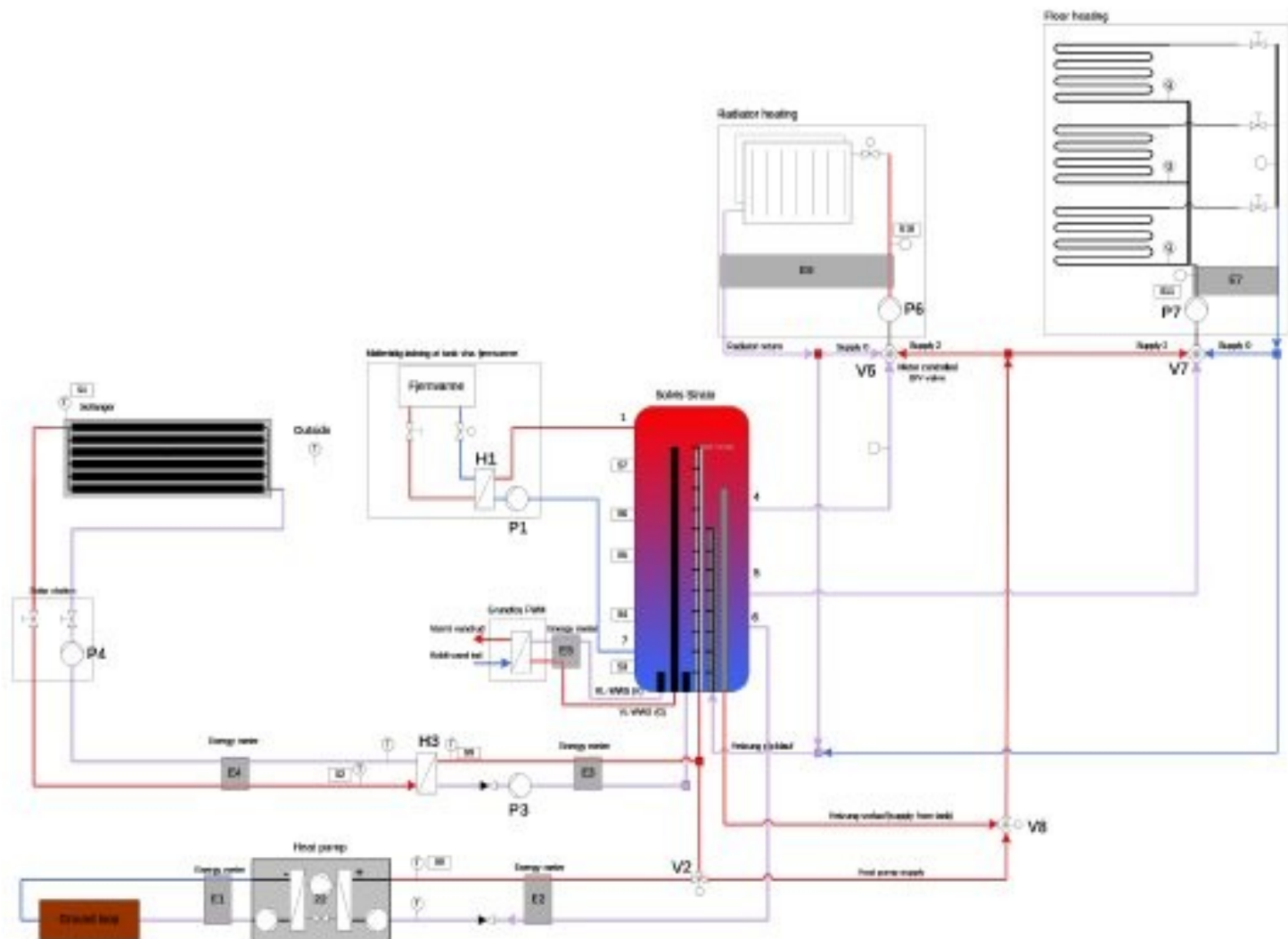
## **Case study (Level IV)**

# **Control of Heat Pumps** **(based on varying prices from Level III)**



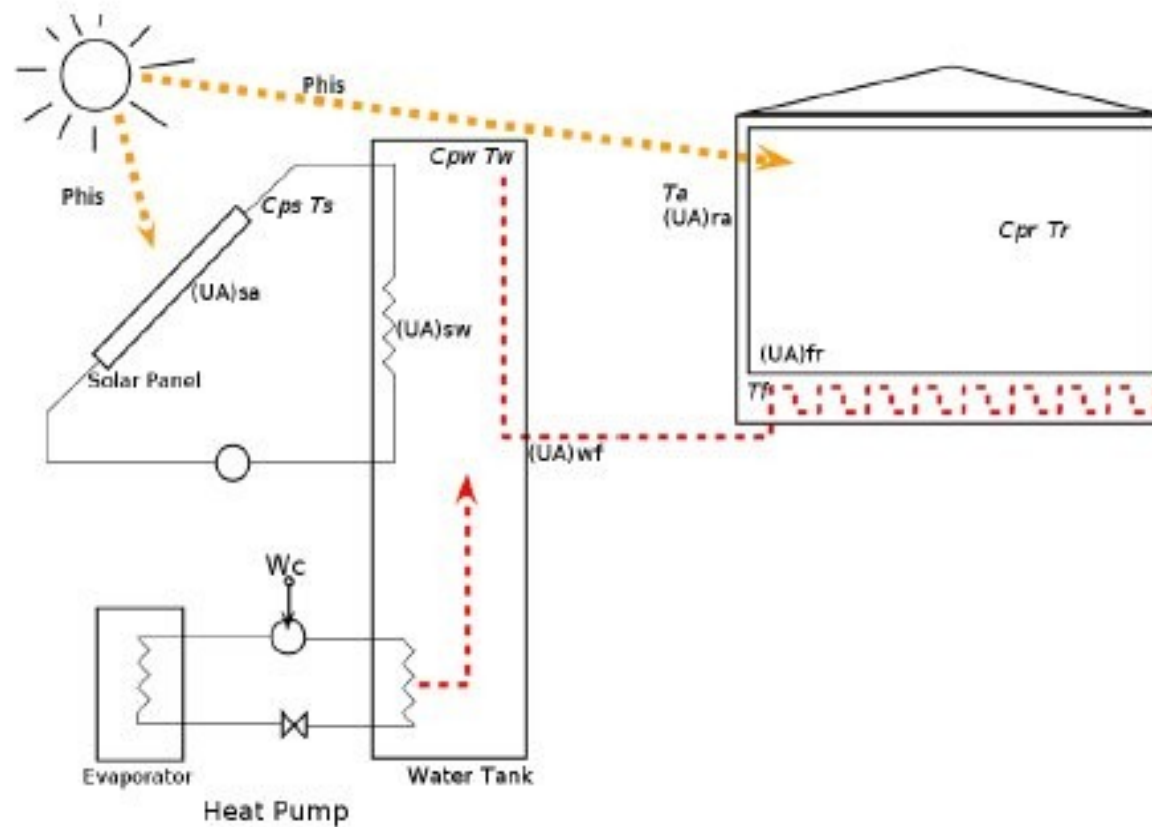
# Grundfos Case Study

## Schematic of the heating system



# Modeling Heat Pump and Solar Collector

## Simplified System



# Advanced Controller

## Economic Model Predictive Control

### Formulation

The Economic MPC problem, with the constraints and the model, can be summarized into the following formal formulation:

$$\min_{\{u_k\}_{k=0}^{N-1}} \phi = \sum_{k=0}^{N-1} c' u_k \quad (4a)$$

$$\text{Subject to } x_{k+1} = Ax_k + Bu_k + Ed_k \quad k = 0, 1, \dots, N-1 \quad (4b)$$

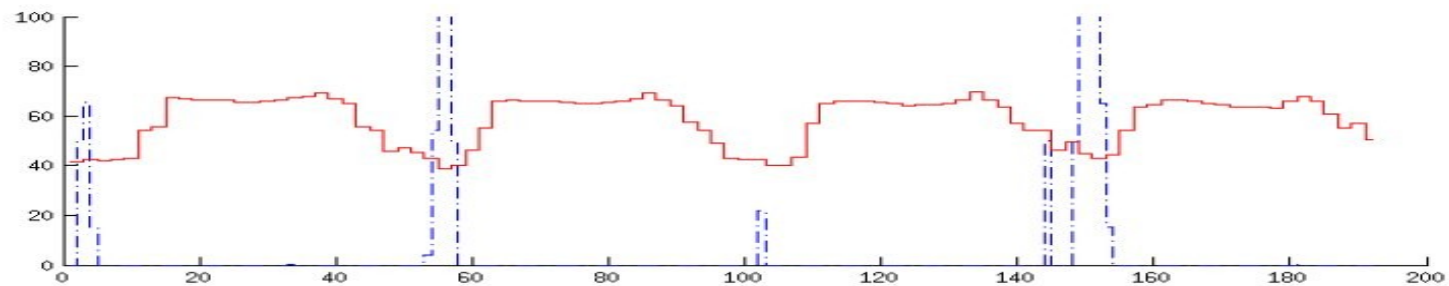
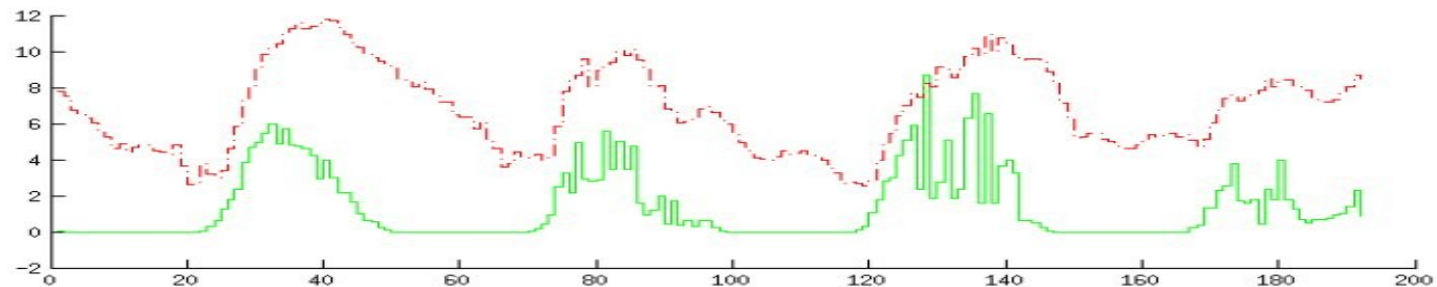
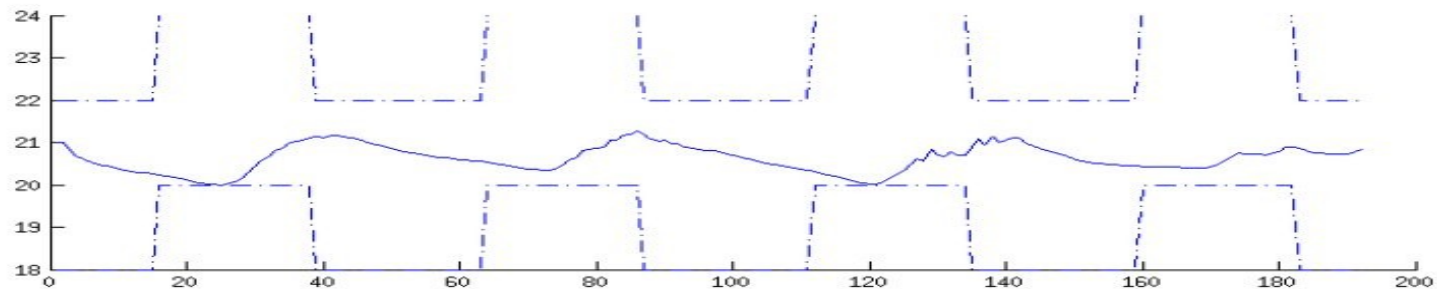
$$y_k = Cx_k \quad k = 1, 2, \dots, N \quad (4c)$$

$$u_{\min} \leq u_k \leq u_{\max} \quad k = 0, 1, \dots, N-1 \quad (4d)$$

$$\Delta u_{\min} \leq \Delta u_k \leq \Delta u_{\max} \quad k = 0, 1, \dots, N-1 \quad (4e)$$

$$y_{\min} \leq y_k \leq y_{\max} \quad k = 0, 1, \dots, N \quad (4f)$$

# E-MPC for heat pump with solar collector (savings 35 pct)





# Case study

**(Direct Control and Bids for Markets)**

## **Virtual Storage Related to Super Market Cooling using Thermal Demand Response**



# Synergize: Virtual Storage using Thermal Demand Response

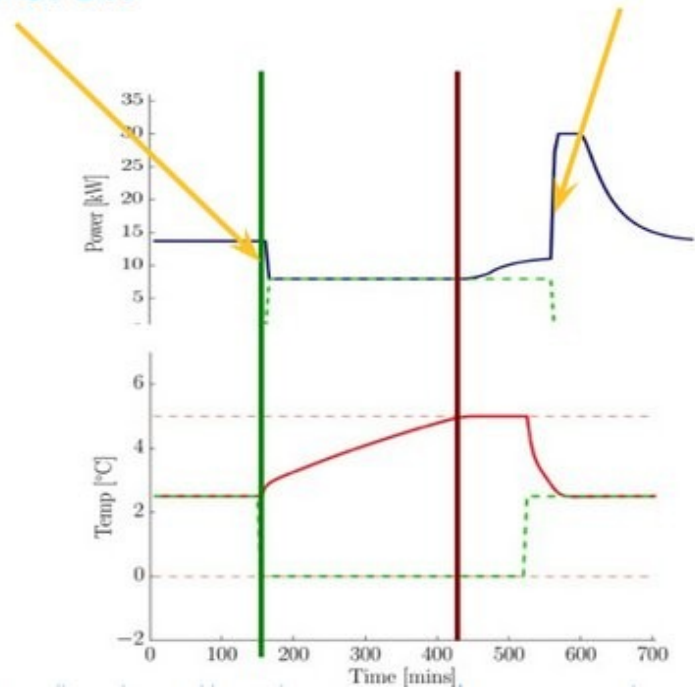


Thermal mass in refrigeration display cases facilitates the adjustment of power consumption while maintaining acceptable temperatures for food.



6kW of DR

Recovery period



# The physical system

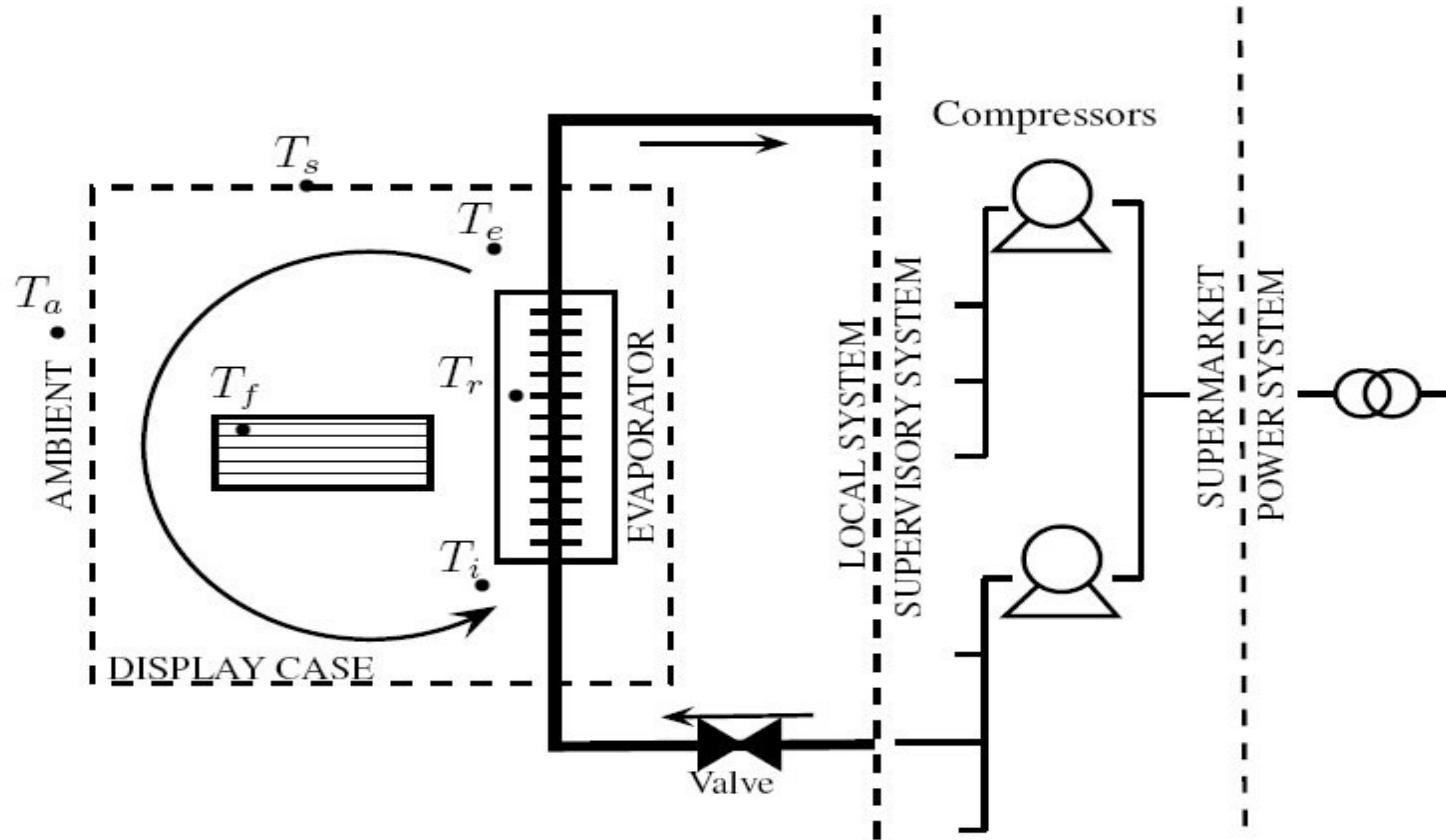


Fig. 2: Simplified graphical representation of the display case system

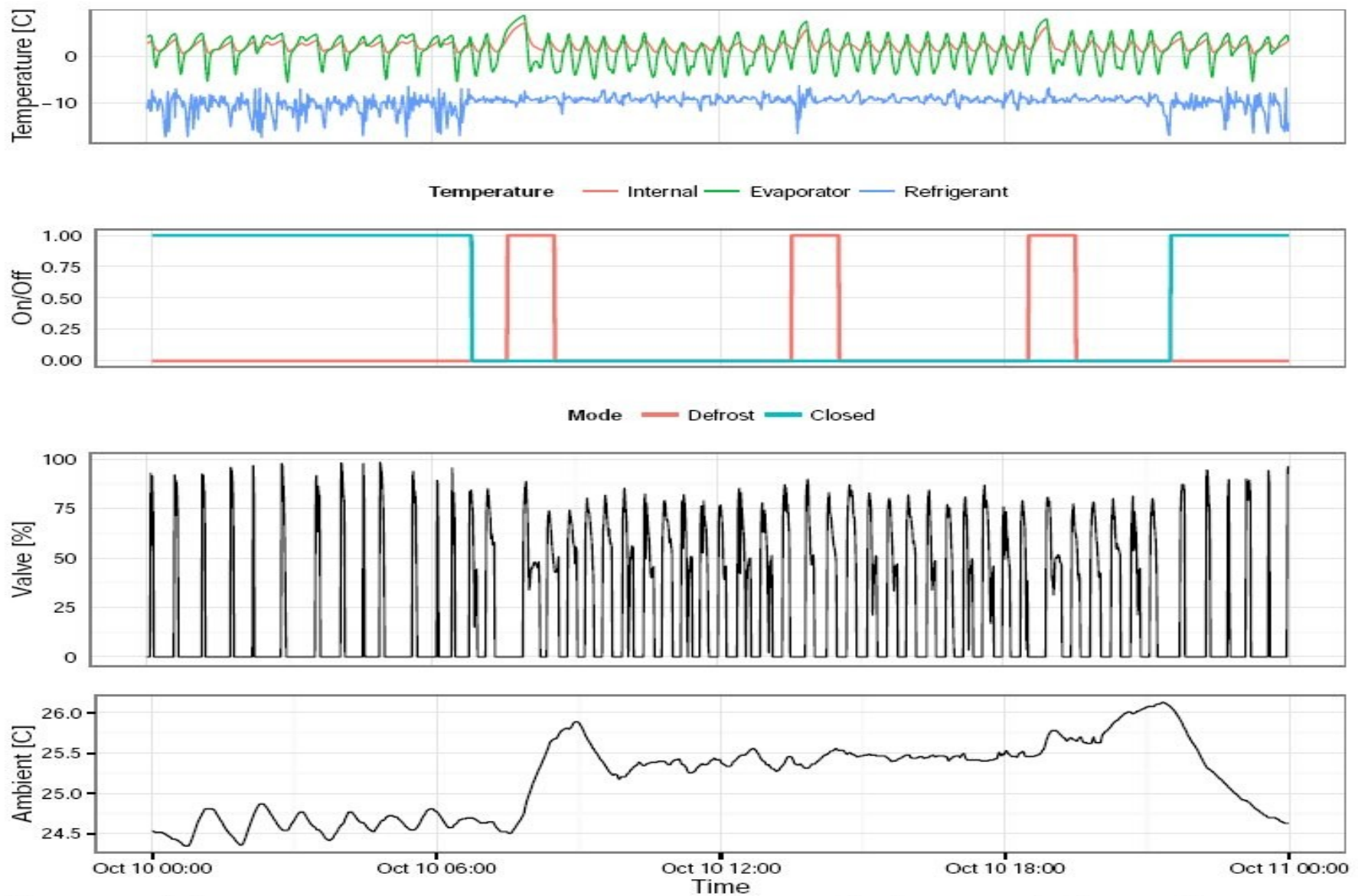


Fig. 3: Temperature, environmental (open/closed status, defrost status, ambient temperature) and control input (valve) data for an open medium temperature display case in a supermarket in Funen, Denmark

# The grey-box model

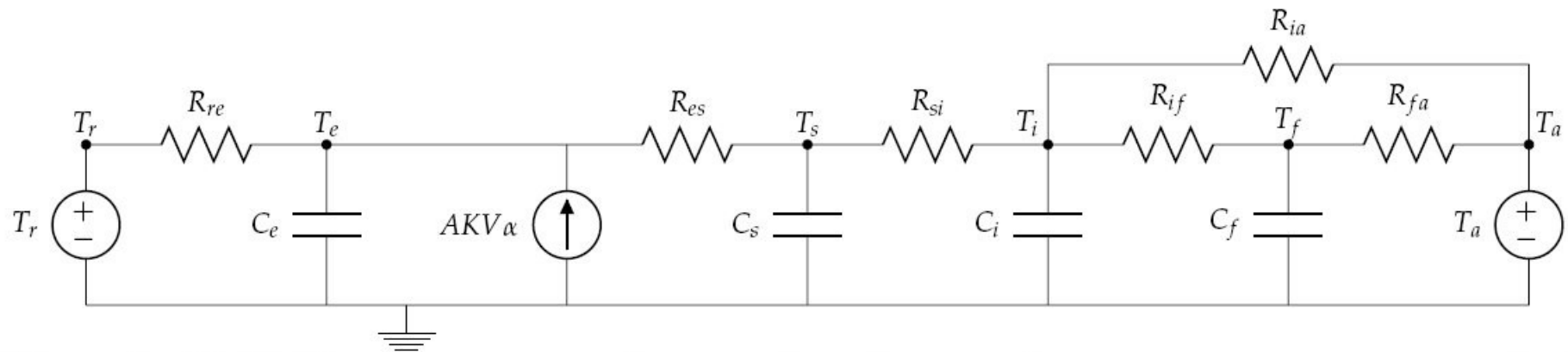


Fig. 6: RC-Representation of a four time constant model ( $T_i T_e T_f T_s$ )

# Demand Response Controllers

- Direct Control

- Temperature Reference Tracking

$$\min \sum_{n=1}^N (T_n - T_n^{ref})^2 + \gamma_1 \Delta P_{1,t-1}$$

s.t:

- System Temperature/Power Dynamics from ARMAX model
    - $T_{max}, T_{min}, P_{max}$

- Power Reference Tracking

$$\min \sum_{n=1}^N (P_n - P_n^{ref})^2$$

- Indirect Control

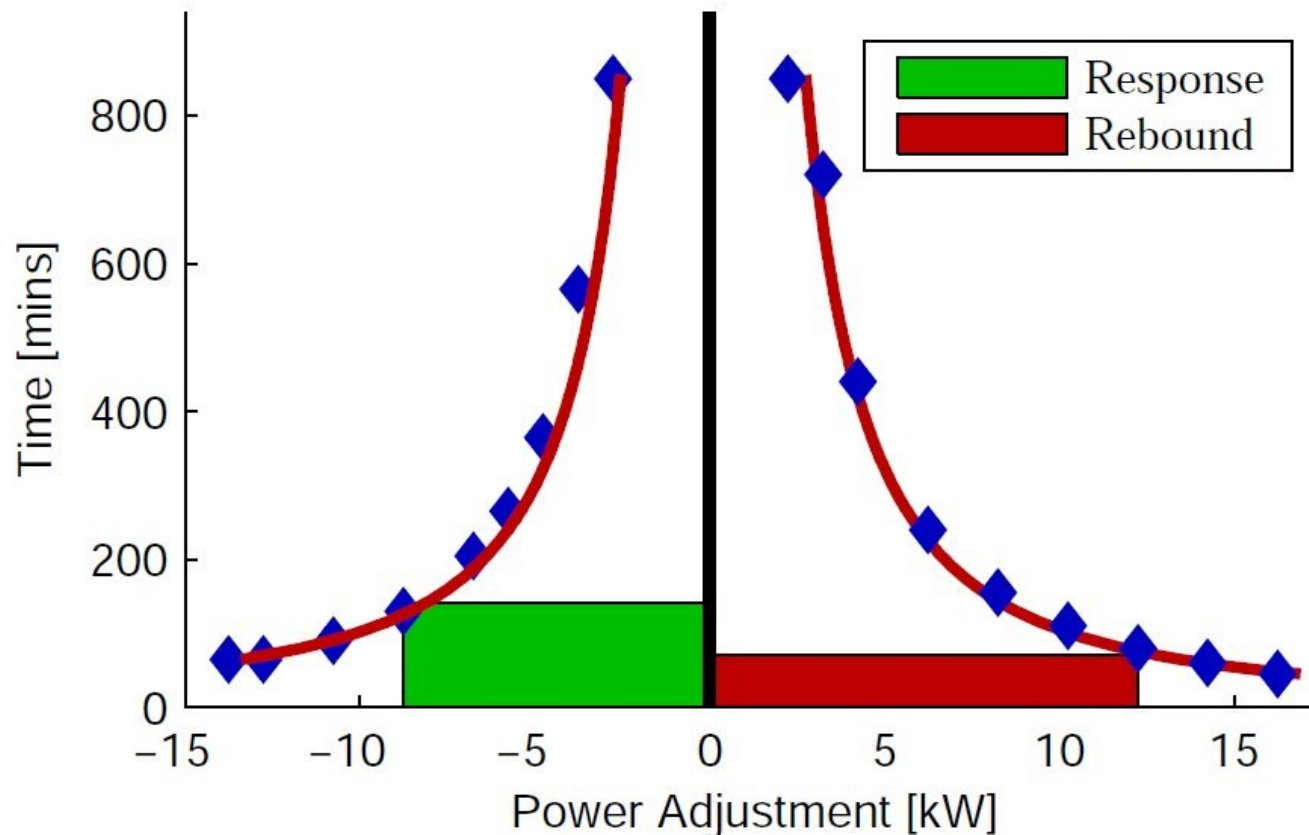
- Economic MPC

$$\min \sum_{n=1}^N \lambda_n P_n + \gamma_1 T_N^{MT} + \gamma_2 T_N^{LT}$$

- Note all controller formulations are “MPC” – i.e. forecasts of price/references only available up to a fixed horizon – control consists of a sequence of receding horizon optimisations



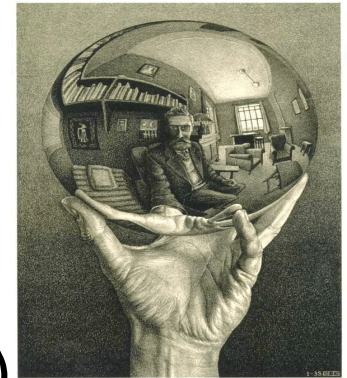
# Flexibility Represented by Saturation Curves (for market integration using block bids)



# Energy Flexibility

## Some Demo Projects in CITIES

- Control of WWTP (Krüger, ED, ..)
- Heat pumps (Grundfos, ENFOR, ..)
- Supermarket cooling (Danfoss, TI, ..)
- Summerhouses (DC, SE, Energinet.dk, ..)
- Green Houses (NeoGrid, Danfoss, Fj.Fyn, ....)
- CHP (Dong Energy, FjernvarmeFyn, HOFOR, NEAS, ...)
- Industrial production (DI, ...)
- VE (charging) (Eurisco, ED, ...)





## Software solutions

### Software for combined physical and statistical modelling

Continuous Time Stochastic Modelling (CTSM) is a software package for modelling and simulation of combined physical and statistical models. You find a technical description and the software at [CTSM.info](#).

### Software for Model Predictive Control

HPMPC is a toolbox for High-Performance implementation of solvers for Model Predictive Control (MPC). It contains routines for fast solution of MPC and MHE (Moving Horizon Estimation) problems on embedded hardware. The software is available on [GitHub](#).

MPCR is a toolbox for building Model Predictive Controllers written in R, the free statistical software. It contains several examples for different MPC problems and interfaces to opensource solvers in R. The software is available on [GitHub](#).

#### Latest news

Summer School at DTU, Lyngby, Denmark – July 4th-8th 2016

Summer School – Granada, Spain, June 19th-24th 2016

Third general consortium meeting – DTU, May 24th-25th 2016

Smart City Challenge in Copenhagen – April 20th 2016

Guest lecture by Pierluigi Mancarella at DTU, April 6th 2016

# Summary

- A Smart-Energy OS for implementing flexibility has been described
- **Modelling:** Toolbox – CTSM-R - for combined physical and statistical modelling (grey-box modelling)
- **Control:** Toolbox – MPC-R - for Model Predictive Control
- Toolboxes found on the homepage of our CITIES project
- Two models for **characterizing the flexibility** have been suggested and demonstrated:
  - **Dynamic models** (used for E-MPC based on prices / indirect control)
  - **Saturation curves** (used for market bidding / direct control)

# For more information ...

See for instance

[www.henrikmadsen.org](http://www.henrikmadsen.org)

[www.smart-cities-centre.org](http://www.smart-cities-centre.org)

...or contact

– Henrik Madsen (DTU Compute)

[hmad@dtu.dk](mailto:hmad@dtu.dk)

Acknowledgement to all my Master, PhD and PD  
Students + CITIES (DSF 1305-00027B)